

### SHORT-RUN COSTS: A NUMERICAL ILLUSTRATION

A firm is operating in the short run. Its capital is fixed. Labor is the only variable input. The going "price of labor" is \$100/day and the firm's fixed costs are \$1,000.

1	2	3	3a	4	5	6	7	8	9	10
<u>L</u>	<u>Q</u>	<u>MP</u>	<u>AP</u>	<u>VC</u>	<u>AVC</u>	<u>FC</u>	<u>AFC</u>	<u>TC</u>	<u>ATC</u>	<u>MC</u>
0	0	-		0	-	1000	-	1000	-	-
1	10	10	10	100	10.0	1000	100.0	1100	110.0	10.0
2	25	15	12.5	200	8.0	1000	40.0	1200	48.0	6.7
3	45	20	15	300	7.5	1000	22.2	1300	29.7	5.0
4	60	15	15	400	6.7	1000	16.7	1400	23.4	6.7
5	70	10	14	500	7.1	1000	14.3	1500	21.4	10.0
6	75	5	12.5	600	8.0	1000	13.3	1600	21.3	20.0
7	77	2	11	700	9.1	1000	13.0	1700	22.1	50.0
8	78	1	9.75	800	10.3	1000	12.8	1800	23.1	100.0
9	78	0	8.7	900	11.5	1000	12.8	1900	24.4	---

Notes:

Short run production function:  $Q = f(L)$ , cols. 1 and 2

Marginal product of labor: (3) = change (2) / change (1)

Variable costs =  $VC = wL = 100 \times \text{col. (1)} = \text{col. (4)}$

Average variable costs =  $VC/Q = \text{col. (5)} = \text{col. (4)} / \text{col. (2)}$

Fixed costs = \$1,000 irrespective of output level

$AFC = FC/Q$ , col. (7) = col. (6) / col. (2)

Total Costs =  $VC + FC$ ; col. (8) = col. (4) + col. (6)

$ATC = TC/Q = AVC + AFC$ ; col. (9) = col. (8) / col. (2) = cols. (5)+(7)

Marginal Cost = change in cost/change in output; (10) =  $\Delta(8)/\Delta(2)$   
or (10) =  $\Delta(4)/\Delta(2)$